

ISO 9001: 2015 Certified



NEET FRESH 2023-24

Mark
720

Group
PCB

PCB EXAM - 58

Date : 21/12/2023
Time : 3:20 Hours

Answer Key Version - S (NEET FRESH All Batches)

Physics					Chemistry				
Sec. A	11. 1	22. 3	33. 2	43. 2	Sec. A	61. 1	72. 2	83. 2	93. 3
01. 4	12. 1	23. 2	34. 1	44. 4	51. 2	62. 3	73. 4	84. 1	94. 1
02. 1	13. 4	24. 3	35. 4	45. 4	52. 4	63. 4	74. 3	85. 4	95. 2
03. 2	14. 2	25. 1	Sec. B	46. 2	53. 2	64. 4	75. 3	Sec. B	96. 1
04. 1	15. 4	26. 3	36. 1	47. 2	54. 4	65. 3	76. 2	86. 3	97. 3
05. 4	16. 3	27. 2	37. 2	48. 1	55. 1	66. 2	77. 3	87. 3	98. 2
06. 4	17. 3	28. 1	38. 4	49. 4	56. 2	67. 2	78. 3	88. 1	99. 1
07. 3	18. 3	29. 4	39. 1	50. 4	57. 3	68. 2	79. 1	89. 2	100. 1
08. 1	19. 2	30. 3	40. 2		58. 1	69. 2	80. 1	90. 2	
09. 1	20. 1	31. 3	41. 1		59. 1	70. 2	81. 3	91. 1	
10. 3	21. 4	32. 4	42. 1		60. 1	71. 3	82. 3	92. 4	
Biology									
Part-I	110. 1	121. 1	132. 1	142. 2	Part-II	160. 3	171. 3	182. 3	192. 4
Sec.A	111. 3	122. 1	133. 3	143. 4	Sec.A	161. 3	172. 4	183. 2	193. 3
101. 3	112. 2	123. 2	134. 3	144. 3	151. 2	162. 4	173. 3	184. 4	194. 3
102. 3	113. 2	124. 2	135. 4	145. 3	152. 3	163. 1	174. 4	185. 4	195. 2
103. 2	114. 2	125. 2	Sec.B	146. 1	153. 3	164. 1	175. 3	Sec. B	196. 1
104. 2	115. 3	126. 2	136. 2	147. 2	154. 1	165. 3	176. 4	186. 4	197. 3
105. 4	116. 3	127. 2	137. 2	148. 4	155. 4	166. 1	177. 4	187. 2	198. 4
106. 3	117. 3	128. 1	138. 4	149. 3	156. 4	167. 2	178. 3	188. 4	199. 2
107. 1	118. 2	129. 3	139. 1	150. 2	157. 2	168. 4	179. 3	189. 4	200. 3
108. 3	119. 3	130. 4	140. 4		158. 1	169. 1	180. 1	190. 4	
109. 3	120. 2	131. 2	141. 1		159. 3	170. 4	181. 3	191. 3	

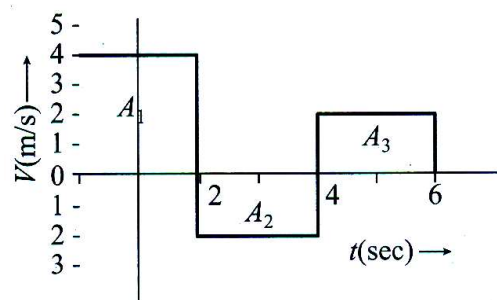
PHYSICS

SECTION - A (35 Questions)

01. (4) $\vec{A} \times \vec{B} = AB \sin \theta \hat{n}$
 \hat{n} is a unit vector indicating the direction of $\vec{A} \times \vec{B}$.
 Vector product or cross product is anticommutative
 i.e., $\vec{A} \times \vec{B} = -\vec{B} \times \vec{A}$.
02. (1) This graph shows uniform motion because line having a constant slope.
03. (2) If a quantity depends upon more than three factors, each having dimensions, then the method of dimensional analysis cannot be applied. It is because applying the principle of homogeneity will give only three equations.
04. (1) $S_n = u + \frac{a}{2}[2n - 1]$
 $S_{5th} = 7 + \frac{4}{2}[2 \times 5 - 1]$
 $= 7 + 18$
 $= 25m$.
05. (4) [Planck constant] = $[ML^2T^{-1}]$ and
 [Energy] = $[ML^2T^{-2}]$.
06. (4) The two vectors which are perpendicular to each other will have their dot product equal to zero.
07. (3) $F = -\eta A \frac{dv}{dx}$
 $\Rightarrow [\eta] = [M^1L^{-1}T^{-1}]$.
08. (1) The distance covered by the ball during the last t seconds of its upward motion = Distance covered by it in first t seconds of its downward motion.
 From $h = ut + \frac{1}{2}gt^2$
 $h = \frac{1}{2}gt^2$ [As $u = 0$ for it downward motion]
09. (1) Couple of force = $|\vec{r} \times \vec{F}| = [ML^2T^{-2}]$
 Work = $[\vec{F} \cdot \vec{d}] = [ML^2T^{-2}]$.
10. (3) $\vec{A} \cdot \vec{B} = AB \cos \theta$
 In the problem $\vec{A} \cdot \vec{B} = -AB$ i.e. $\cos \theta = -1$
 $\therefore \theta = 180^\circ$
 i.e. \vec{A} and \vec{B} acts in the opposite direction.
11. (1) Quantities having different dimensions can only be divided or multiplied but they cannot be added or subtracted.
12. (1) Displacement = Summation of all the area with sign

$$= (A_1) + (-A_2) + (A_3)$$

$$= (2 \times 4) + (-2 \times 2) + (2 \times 2)$$



\therefore Displacement = 8m
 Distance = Summation of all the areas without sign
 $= |A_1| + |-A_2| + |A_3| = |8| + |-4| + |2| + |4|$
 $= 8 + 4 + 4$
 \therefore Displacement = 16m.

13. (4) The formula can be written as

$$\frac{\text{Velocity of light in vacuum}}{\text{Velocity of light in medium}} = 1$$

This formula is dimensionally correct as both the sides are dimensionless. Numerically, this ratio is equal to refractive index which is greater than 1. Hence, the equation is numerically incorrect.

14. (2) $\sqrt{(0.4)^2 + (0.8)^2 + c^2} = 1$

$$\Rightarrow 0.16 + 0.64 + c^2 = 1$$

$$\Rightarrow c = \sqrt{0.2}$$

15. (4) Up to time t_1 slope of the graph is constant and after t_1 slope is zero i.e. the body travel with constant speed up to time 1 and then stops.

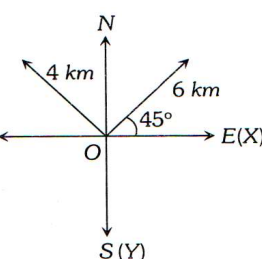
16. (3) $\rho = \frac{M}{L^3}$

$$n_1 u_1 = n_2 u_2$$

$$\therefore 128[M_1 L_1^{-3}] = n_2[M_2 L_2^{-3}]$$

$$\therefore n_1 = 128 \times \left[\frac{M_1}{M_2} \right] \left[\frac{L_2}{L_1} \right]^3$$

$$= 128 \times \left[\frac{1000}{50} \right] \times \left[\frac{25}{100} \right]^3 = 128 \times 20 \times \frac{1}{64} = 40$$

17. (3) 
- The diagram shows a coordinate system with origin O. The vertical axis is labeled 'N' (North) pointing up and 'S(Y)' (South) pointing down. The horizontal axis is labeled 'E(X)' (East) pointing right and 'W' (West) pointing left. A vector of length 4 km is drawn from O into the second quadrant, making a 45-degree angle with the negative Y-axis. Another vector of length 6 km is drawn from O into the first quadrant, making a 45-degree angle with the positive X-axis.

Net movement along x -direction $S_x = (6-4) \cos 45^\circ \hat{i}$
 $= 2 \times \frac{1}{\sqrt{2}} = \sqrt{2} \text{ km}$

Net movement along y -direction $S_y = (6+4) \sin 45^\circ \hat{j}$
 $= 10 \times \frac{1}{\sqrt{2}} = 5\sqrt{2} \text{ km}$

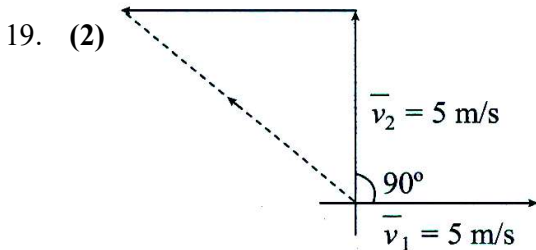
Net movement from starting point

$$|\vec{S}| = \sqrt{S_x^2 + S_y^2} = \sqrt{(\sqrt{2})^2 + (5\sqrt{2})^2} = \sqrt{52} \text{ km}$$

Angle which makes with the east direction

$$\tan \theta = \frac{Y\text{-component}}{X\text{-component}} = \frac{5\sqrt{2}}{\sqrt{2}} \therefore \theta = \tan^{-1}(5)$$

18. (3)



$$\Delta \vec{v} = \vec{v}_2 - \vec{v}_1 = \sqrt{v_1^2 + v_2^2 - 2v_1v_2 \cos 90^\circ}$$

$$= \sqrt{5^2 + 5^2} = 5\sqrt{2}$$

$$\text{Average acceleration} = \frac{\Delta \vec{v}}{\Delta t} = \frac{5\sqrt{2}}{10}$$

$$= \frac{1}{\sqrt{2}} \text{ m/s}^2$$

Directed toward north-west (As clear from the figure).

20. (1)

21. (4) Watt = joule / second = ampere \times volt
 $= (\text{ampere})^2 \times \text{ohm}.$

22. (3) $R = 4H \cot \theta$

When $R = H$ then $\cot \theta = 1/4 \Rightarrow \theta = \tan^{-1}(4).$

23. (2) $\vec{F}_1 + \vec{F}_2 + \vec{F}_3 + \vec{F}_4 = 0\hat{i} + 4\hat{j} + 2\hat{k} \Rightarrow yz\text{-plane}.$

24. (3) When a particle returns to its starting point, its displacement is zero.

25. (1) Quantities of similar dimensions can be added or subtracted so unit of a will be same as that of velocity.

26. (3) $\vec{v}_w = 20\hat{i}, \vec{v}_c = 20\hat{j}$

Here we have to look for velocity of wind w.r.t. car.

$$\text{So, } \vec{v}_{w/c} = \vec{v}_w - \vec{v}_c = 20\hat{i} - 20\hat{j}.$$

27. (2) 1 dyne = 10^{-5} newton, 1 cm = 10^{-2} m

$$70 \frac{\text{dyne}}{\text{cm}} = \frac{70 \times 10^{-5} \text{ N}}{10^{-2} \text{ m}} = 7 \times 10^{-2} \text{ N/m}.$$

28. (1) Direction of velocity is always tangent to the path so at the top of trajectory it is in horizontal direction and acceleration due to gravity is always in vertically downward direction. It means angle between \vec{v} and \vec{g} are perpendicular to each other.

29. (4) Modulus of rigidity = $\frac{\text{Shear stress}}{\text{Shear strain}}$
 $= \text{M L}^{-1} \text{T}^{-2}.$

30. (3) Displacement vector $\vec{r} = \Delta x\hat{i} + \Delta y\hat{j} + \Delta z\hat{k}$
 $= (3-2)\hat{i} + (4-3)\hat{j} + (5-5)\hat{k} = \hat{i} + \hat{j}.$

31. (3) Impulse = Force \times time = $(\text{kg}\cdot\text{m/s}^2) \times \text{s}$
 $= \text{kg}\cdot\text{m/s}$

32. (4) $R = 4H \cot \theta$ if $\theta = 45^\circ$
 then $R = 4H \cot(45^\circ) = 4H.$

33. (2) Angular momentum = mvr
 $= [\text{MLT}^{-1}][\text{L}]$
 $= [\text{ML}^2\text{T}^{-1}].$

34. (1) $\frac{dv}{dx} = 2\alpha x + \beta \Rightarrow v = \frac{1}{2\alpha x + \beta}$
 $a = v \frac{dv}{dx} = \frac{-v \cdot 2\alpha}{(2\alpha x + \beta)^2} = -2\alpha \cdot v \cdot v^2 = -2\alpha v^3$
 $\therefore \text{Retardation} = 2\alpha v^3.$

35. (4) $\frac{1}{2} CV^2 = \text{Stored energy in a capacitor}$
 $= [\text{M L}^2 \text{T}^{-2}].$

Section - B (Attempt Any 10 Questions)

36. (1) By substituting the dimension of each quantity, we get

$$T = [\text{ML}^{-1}\text{T}^{-2}]^a [\text{L}^{-3}\text{M}]^b [\text{MT}^{-2}]^c$$

By solving, we get $a = -3/2, b = 1/2, c = 1.$

37. (2) Net force $\vec{F}_N = (4\hat{i} + \hat{j} - 3\hat{k}) + (3\hat{i} + \hat{j} - \hat{k})$
 $= 7\hat{i} + 2\hat{j} - 4\hat{k}\text{N}$

Displacement $\vec{S} = (5\hat{i} + 4\hat{j} - \hat{k}) - (\hat{i} + 2\hat{j} - 3\hat{k})$
 $= 4\hat{i} + 2\hat{j} + 2\hat{k}$

Work $W = \vec{F} \cdot \vec{S} = 28 + 4 - 8 = 24 \text{ J}.$

38. (4) $\vec{v}_A = 40\hat{j}, \vec{v}_B = 30\hat{i}$

$$\vec{v}_{B/A} = \vec{v}_B - \vec{v}_A = 30\hat{i} - 40\hat{j}$$

$$|\vec{v}_{B/A}| = \sqrt{(30)^2 + (40)^2} = 50 \text{ km/hr}.$$

$$\tan \theta = \frac{v_B}{v_A} = \frac{30}{40} \Rightarrow \theta = \tan^{-1}\left(\frac{3}{4}\right).$$

39. (1) We know that the velocity of body is given by the slope of displacement - time graph. So it is clear that initially slope of the graph is positive and after some time it becomes zero (corresponding to the peak of graph) and then it will become negative.

40. (2) Let \vec{A} be vector in xy plane. Its x and y component are $A_x = 12\text{ m}$, $A_y = 8\text{ m}$
The magnitude of vector \vec{A} is

$$A = \sqrt{A_x^2 + A_y^2} = \sqrt{(12)^2 + (8)^2} = \sqrt{208}\text{m}$$

Squaring both sides, we get

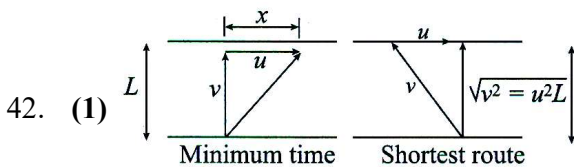
$$208 = (6)^2 + A_y'^2$$

$$A_y'^2 = 208 - 36 = 172$$

$$A_y' = \sqrt{172} = 13.11\text{m}$$

41. (1) Dimensions of $\alpha t = [M^0L^0T^0]$
 $\therefore [\alpha] = [T^{-1}]$

$$\text{Again } \left[\frac{v_0}{\alpha}\right] = [L], \text{ so } [v_0] = [LT^{-1}]$$



$$10 = \frac{L}{v} \dots\dots\dots(i)$$

$$\text{Drift, } x = ut_1 \Rightarrow 120 = u \times 10 \Rightarrow u = 12\text{ m/min}$$

$$12.5 = \frac{L}{\sqrt{v^2 - u^2}} = \frac{L}{v\sqrt{1 - (u^2/v^2)}} \dots\dots\dots(ii)$$

From (i) and (ii),

$$\frac{10}{12.5} = \frac{L}{v} \times \frac{v\sqrt{1 - (u^2/v^2)}}{L}$$

$$\Rightarrow \frac{4}{5} = \sqrt{1 - \frac{12^2}{v^2}}$$

$$\Rightarrow \frac{16}{25} = 1 - \frac{12^2}{v^2}$$

$$\Rightarrow \frac{12^2}{v^2} = 1 - \frac{16}{25} = \frac{9}{25}$$

$$\Rightarrow \frac{12}{v} = \frac{3}{5}$$

$$\Rightarrow v = \frac{12 \times 5}{3} = 20\text{m/min.}$$

43. (2) Slope is increasing continuously from 0 to t_1 .

44. (4) As $\theta = 90^\circ$

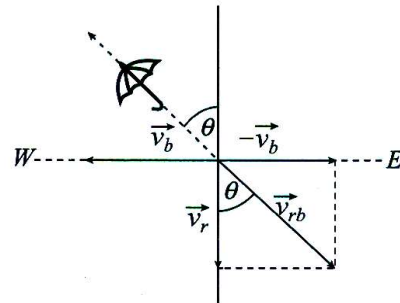
$$\vec{A} \times \vec{B} = 5 \times 9 \times \sin 90^\circ = 45.$$

45. (4)

$\therefore \frac{C}{L}$ does not represent the dimension of frequency.

46. (2)

In figure \vec{v}_r represents the velocity of rain and \vec{v}_b , the velocity of the bicycle, the woman is riding. To protect herself from rain, the woman should hold her umbrella in the direction of relative velocity of rain with respect to the bicycle \vec{v}_{rb} .



From figure,

$$\tan \theta = \frac{v_b}{v_r} = \frac{12}{30} = \frac{2}{5} \Rightarrow \theta = \tan^{-1}\left(\frac{2}{5}\right)$$

Therefore, the woman should hold her umbrella at an angle of $\tan^{-1}\left(\frac{2}{5}\right)$ with the vertical towards the west.

47. (2)

$$U = \frac{q^2}{2C}, \text{ unit of } C : \text{coul}^2 (\text{joule})^{-1}$$

$$F = BiL, \text{ unit of } B : \text{newton (amp)}^{-1} (\text{m})^{-1}$$

$$e = \frac{-Ldi}{dt}, \text{ unit of } L : \text{volt sec (amp)}^{-1}$$

$$V = iR, \text{ unit of } R : \text{volt (amp)}^{-1}.$$

70. (2)
a-(ii); b-(i); c-(iv); d-(iii)

71. (3)
CH₄ and CO₂

72. (2)
SO₂

73. (4)
All of these

74. (3)
Metal displacement reaction

75. (3)
 $\frac{2}{3}$

76. (2)
2 mol carbon burns with 48 g of dioxygen

77. (3)
1 : 3

78. (3)
 $+\frac{8}{3}$

79. (1)
lu

80. (1)
14.6 g

81. (3)
+5 and 0

82. (3)
N₃H > NH₂OH > NH₃

83. (2)
2 mole

84. (1)
4

85. (4)
All of these

Section - B (Attempt Any 10 Questions)

86. (3)
-1

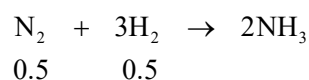
87. (3)
Limiting reagent may have the largest number of moles.

88. (1)
(a-p); (b-s); (c-q); (d-r)

89. (2)
11 u

90. (2)
Zeros preceding to first non-zero digit are significant

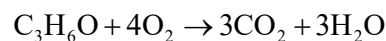
91. (1)



0.5 0.5

$$\text{(LR)} \quad \frac{0.25}{\frac{0.5}{3} \times 2} \times 100 = 75\%$$

92. (4)

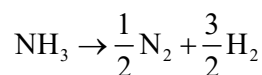


40 - - -
- - 120

93. (3)

30 mL

94. (1)



0.2 mol - -
- - 0.3 mol

95. (2)

Weight of gas = 0.24 g, Volume of gas = 45 mL
= 0.045 litre and density of H₂ = 0.089.

We know that weight of 45 mL of H₂ =

$$\text{Density} \times \text{Volume} = 0.089 \times 0.045 = 4.005 \times 10^{-3} \text{ g}$$

Therefore vapour density

$$= \frac{\text{Weight of certain volume of substance}}{\text{Weight of same volume of hydrogen}}$$

$$= \frac{0.24}{4.005 \times 10^{-3}} = 59.93$$

96. (1)

1 : 3

97. (3)

(a) and (c) only

98. (2)

3×10^{22}

99. (1)

$$n_{\text{left}} = \frac{392 \times 10^{-3}}{98} - \frac{1.204 \times 10^{21}}{6.023 \times 10^{23}} = 2 \times 10^{-3}$$

100. (1)

$$\frac{20-18}{20} \times 100 = 10\% \text{ less}$$